

# Porovnávání kontextů

A dalších podmnožin textu

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A boy

He was an old man who fished alone in a skiff in the Gulf Stream and he had gone eighty-four days now without taking a fish. In the first forty days a boy had been with him.

But after forty days without a fish the boy's parents had told him that the old man was now definitely and finally salao, which is the worst form of unlucky, and the boy had gone at their orders in another boat which caught three good fish the first week. It made the boy sad to see the old man come in each day with his skiff empty ...

**A** boy

He was **a**n old man who fished alone in **a** skiff in the Gulf Stream and he had gone eighty-four days now without taking **a** fish. In the first forty days **a** boy had been with him.

But after forty days without **a** fish the boy's parents had told him that the old man was now definitely and finally salao, which is the worst form of unlucky, and the boy had gone at their orders in another boat which caught three good fish the first week. It made the boy sad to see the old man come in each day with his skiff empty...

## A boy

He was **an** old man who fished alone in **a** skiff in **the** Gulf Stream and he had gone eighty-four days now without taking **a** fish. In **the** first forty days **a** boy had been with him.

But after forty days without **a** fish **the** boy's parents had told him that **the** old man was now definitely and finally salao, which is **the** worst form of unlucky, and **the** boy had gone at their orders in another boat which caught three good fish **the** first week. It made **the** boy sad to see **the** old man come in each day with his skiff empty...

A / an

Boy

Old

Skiff

Fish

Boy

Fish

The

Gulf

First

Boy

Old

Worst

Boy

First

Boy

Old

A / an

**Boy**

Old

Skiff

Fish

**Boy**

Fish

The

Gulf

First

**Boy**

Old

Worst

**Boy**

First

Boy

Old

A / an

Boy

Old

Skiff

Fish

Boy

Fish

The

Gulf

First

Boy

Old

Worst

Boy

First

Boy

Old

**A / an**

**Boy**

**Old**

**Skiff**

**Fish**

**Boy**

**Fish**

**The**

**Gulf**

**First**

**Boy**

**Old**

**Worst**

**Boy**

**First**

**Boy**

**Old**

Tři tokeny „mají bratříčka“ , je to moc, nebo málo?

Jak tyto množiny porovnávat?  
Spousta metrik, ztížená interpretace.

Kdyby množina A byla z textu náhodně vybraná  
a množina B náhodně vybraná z toho,co  
zbude.

Kolik průměrně tokenů bude „mít bratříčka“?

# Typ Day (celkem 4x)

Například:

A (2x)      x

B (1x)      x

Zbytek textu (1x)

000011	000000001	00000... ...00000001
000101	000000100	00000... ...00000010
000110	000001000	00000... ...00000100
001001	000010000	00000... ...00001000
001010	000100000	00000... ...00010000
001100	001000000	00000... ...00100000
010001	010000000	...
010010	100000000	10000... ...00000000
010100		
011000		
100001	Jaká je pravděpodobnost, že bude například v prvním výběru dvakrát a v druhém výběru jednou?	
...		
110000		

# Day (celkem 4x)

A (2x)	x	B (1x)	x	Zbytek textu (1x)
000011		000000001		00000... 00000001
000101		000000100		00000... 00000010
000110		000001000		00000... 00000100
001001		000010000		00000... 00001000
001010		000100000		00000... 00010000
001100		001000000		00000... 00100000
010001		010000000		...
010010		100000000		10000... 00000000
010100				
011000				
100001				
...				
110000				
$\frac{ A !}{m!( A -m)!}$		$\frac{ B !}{n!( B -n)!}$		$\frac{[d-( A + B )]!}{[f_i-(m+n)]!\{d-( A + B )-[f_i-(m+n)]\}!}$

# *Day (celkem 4x)*

Kolik permutací může být v celém textu?

00000... ...0000000001111  
00000... ...00000000010111  
00000... ...00000000011011  
00000... ...00000000011101  
00000... ...00000000011110  
00000... ...00000001000111  
00000... ...00000001001011  
00000... ...00000001001101  
00000... ...00000001001110  
00000... ...00000001010011  
00000... ...00000001010101  
  
...  
11101... ...00000000000000  
11110... ...00000000000000

$$\frac{d!}{f_i!(d-f_i)!}$$

$$r_{m;n} = \frac{\frac{|A|!}{m!(|A|-m)!} \frac{|B|!}{n!(|B|-n)!} \frac{[d-(|A|+|B|)]!}{[f_i-(m+n)]!\{d-(|A|+|B|)-[f_i-(m+n)]\}!}}{\frac{d!}{f_i!(d-f_i)!}}$$

$$g_{A;B} = \sum_{i=1}^M \left( \sum_{m=1}^{|A|} \left( m \sum_{n=m}^{|B|} r_{m;n} \right) + \sum_{n=1}^{|B|} \left( n \sum_{m=n+1}^{|A|} r_{m;n} \right) \right)$$

M ... Počet typů

$f_i$  ... frekvence i-tého typu

A ... První zkoumaná podmnožina

B ... Druhá zkoumaná podmnožina

$$g_{A;B} = \sum_{i=2}^M \sum_{m=1}^{|A|} \sum_{n=1}^{|B|} min(m,n) \frac{\binom{|A|}{m}\binom{|B|}{n}\binom{d-|A|-|B|}{f_i-m-n}}{\binom{d}{f_i}}$$

Pokud A sjednoceno B dávají celý text pak:

$$g_{T;A} = \sum_{i=2}^M \sum_{m=1}^{|A|} \min(m, f_i - m) \frac{\binom{|A|}{m} \binom{d-|A|}{f_i-m}}{\binom{d}{f_i}}$$

# Kolem milionu náhodných výběrů z The Last of the Mohicans

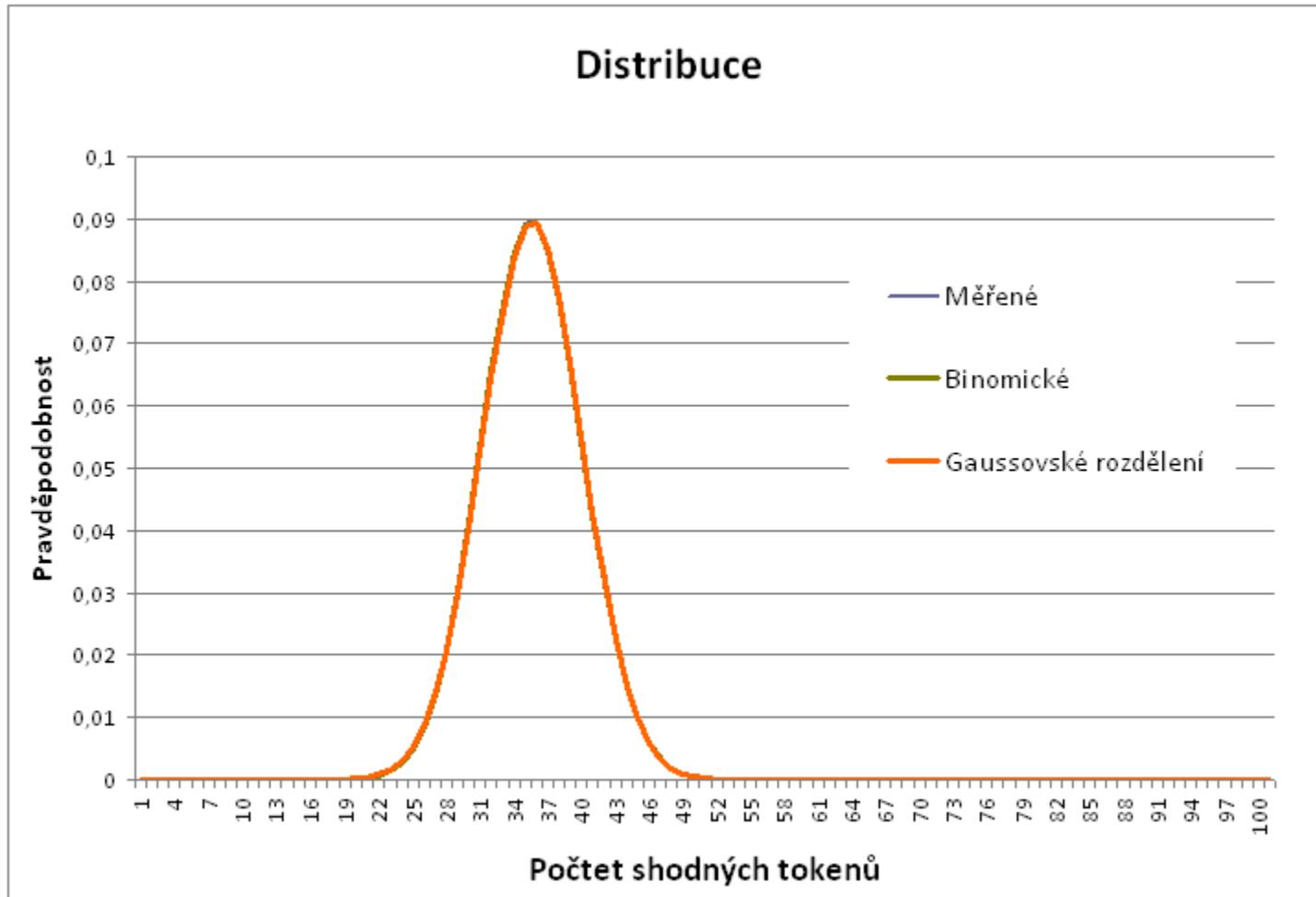
A	B	Měřeno	Model
1000	1000	505,598	505,586
150	100	34,6007	34,6000
50	25	6,05841	6,05592
20	5	0,81816	0,81827
2	2	0,05180	0,05202
10 000	10 000	7333,08	7333,07
1000	5	3,03604	3,03390

Příklad užití (bezprostřední pravý kontext):

Slovo	Frekvence
say	567
says	64
said	991

Dvojice	Model	Změřeno	Poměr
say – says	35,02	47	1,34
say – said	324,44	292	0,90

Jaká je pravděpodobnost, že při náhodném výběru podmnožin bude počet shodných tokenů stejná a vyšší?



# Využití

- Testování lingvistických hypotéz
- Určování autorství / plagiátorství / tématu
- Desambiguace
- Hnízda v různých stromech

Děkuji za pozornost

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